

# Neutrinos in Particle Astrophysics

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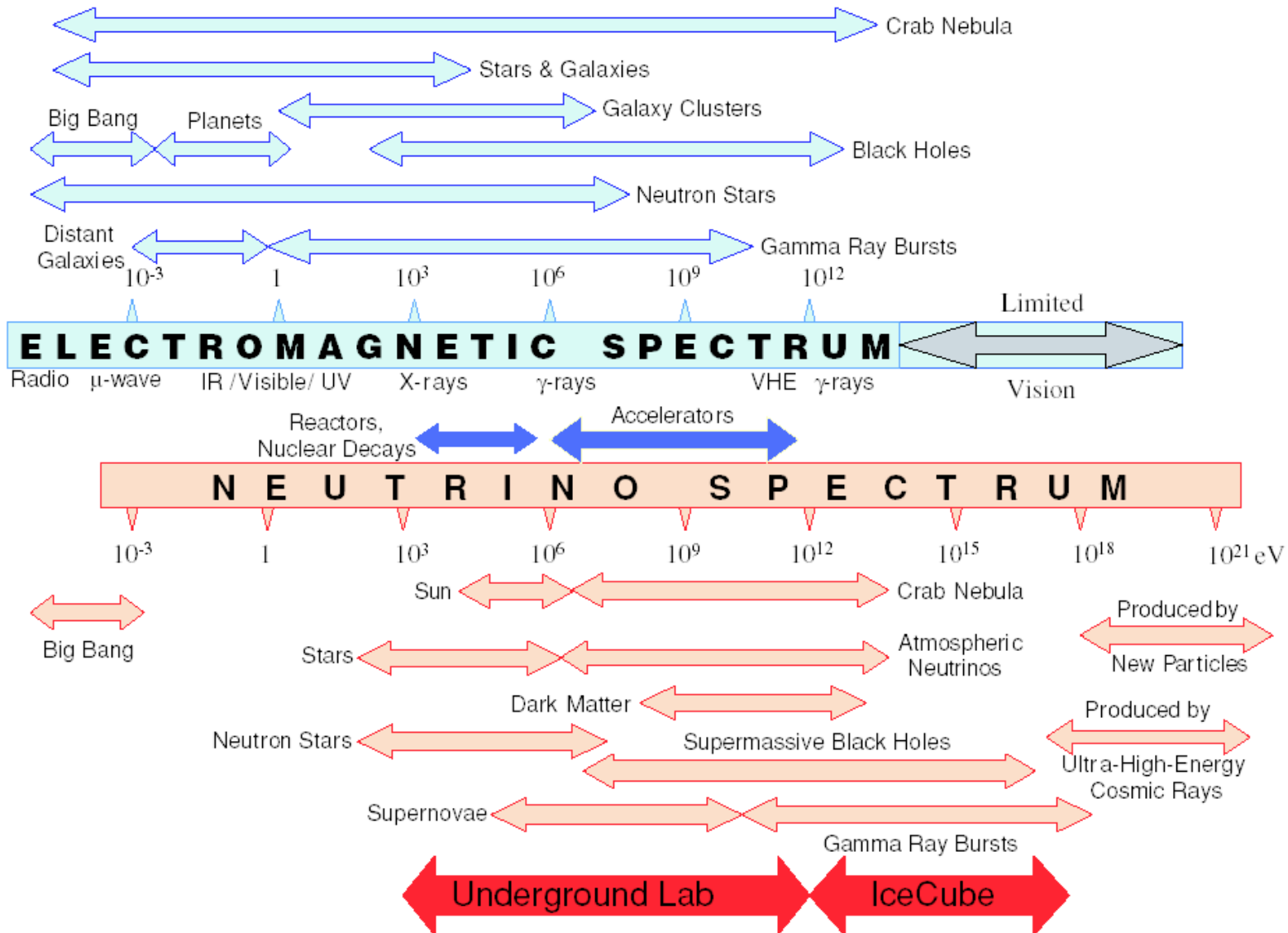
YITP at 40, May 3, 2007

YITP: 1998-2002 Neutrino oscillations... with Robert Shrock

# Neutrinos

- Neutrino masses and oscillations
  - confirmed evidence of physics beyond the Standard Model
  - key importance for physics beyond the Standard Model
- Unique probe of extreme environments
- Can probe scales from  $10^{-33}$  to  $10^{28}$  cm
- Play major role in particle physics, astrophysics and cosmology

# Neutrino Facilities Assessment Committee, 2002



## Very high energy neutrinos

- escape from extreme environments
- test mechanism powering sources
- test astrophysical processes of acceleration of hadrons
- correlations with cosmic rays, gamma rays
- additional information - complementary to other sources

new window into physics, astrophysics, cosmology

## Very high energy neutrinos

- detection: first events/sources - big breakthrough
- next step: what does it all mean?
- identify sources
- identify production mechanism at the source/understand source
- look for new particles/new physics: energies higher than colliders
- find something unexpected
- particle physics/particle astrophysics: how to tell them apart?  
like (worse) solar neutrino problem - fast forward?

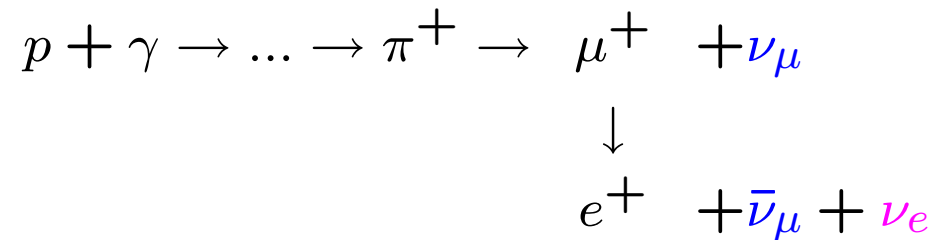
## Sources

Guaranteed



Highly speculative

- “GZK” neutrinos:



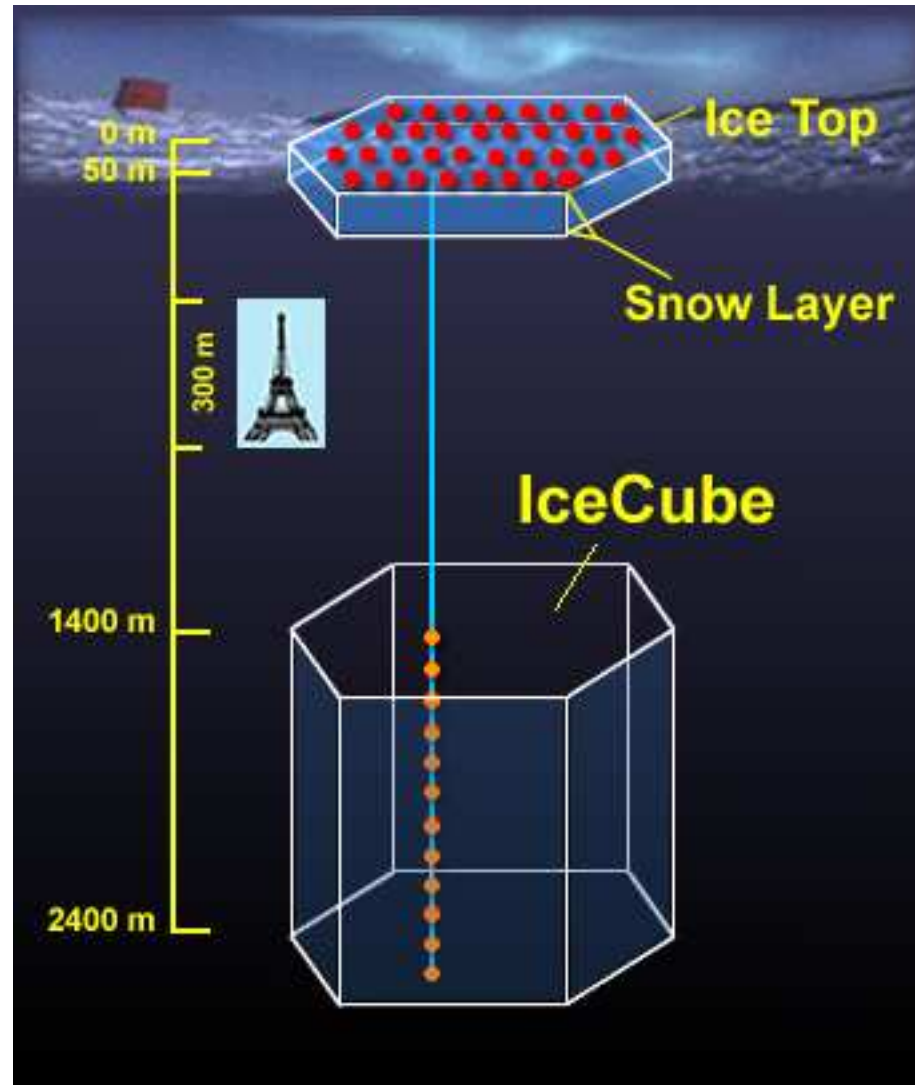
- Gamma Ray Bursts
- Active Galactic Nuclei
- Topological Defects
- Decay of Super-Massive Particles

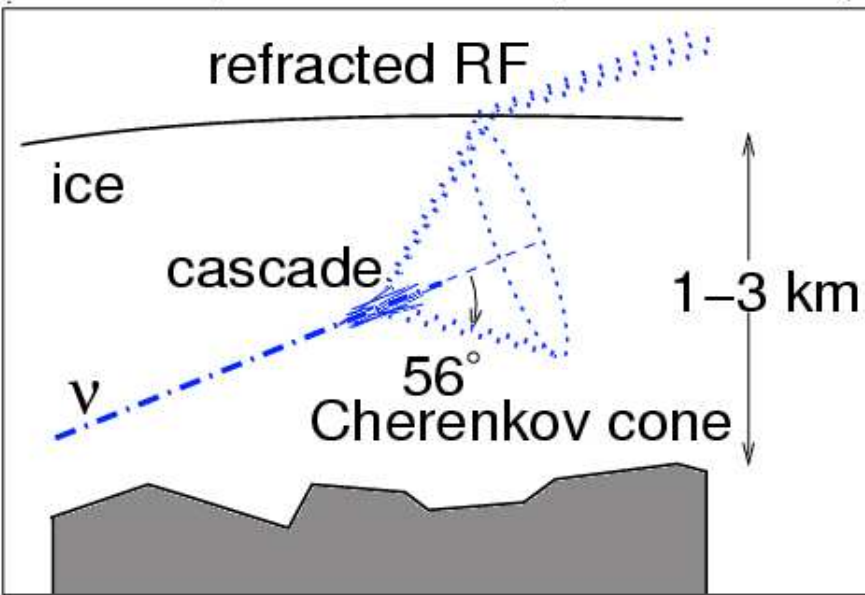
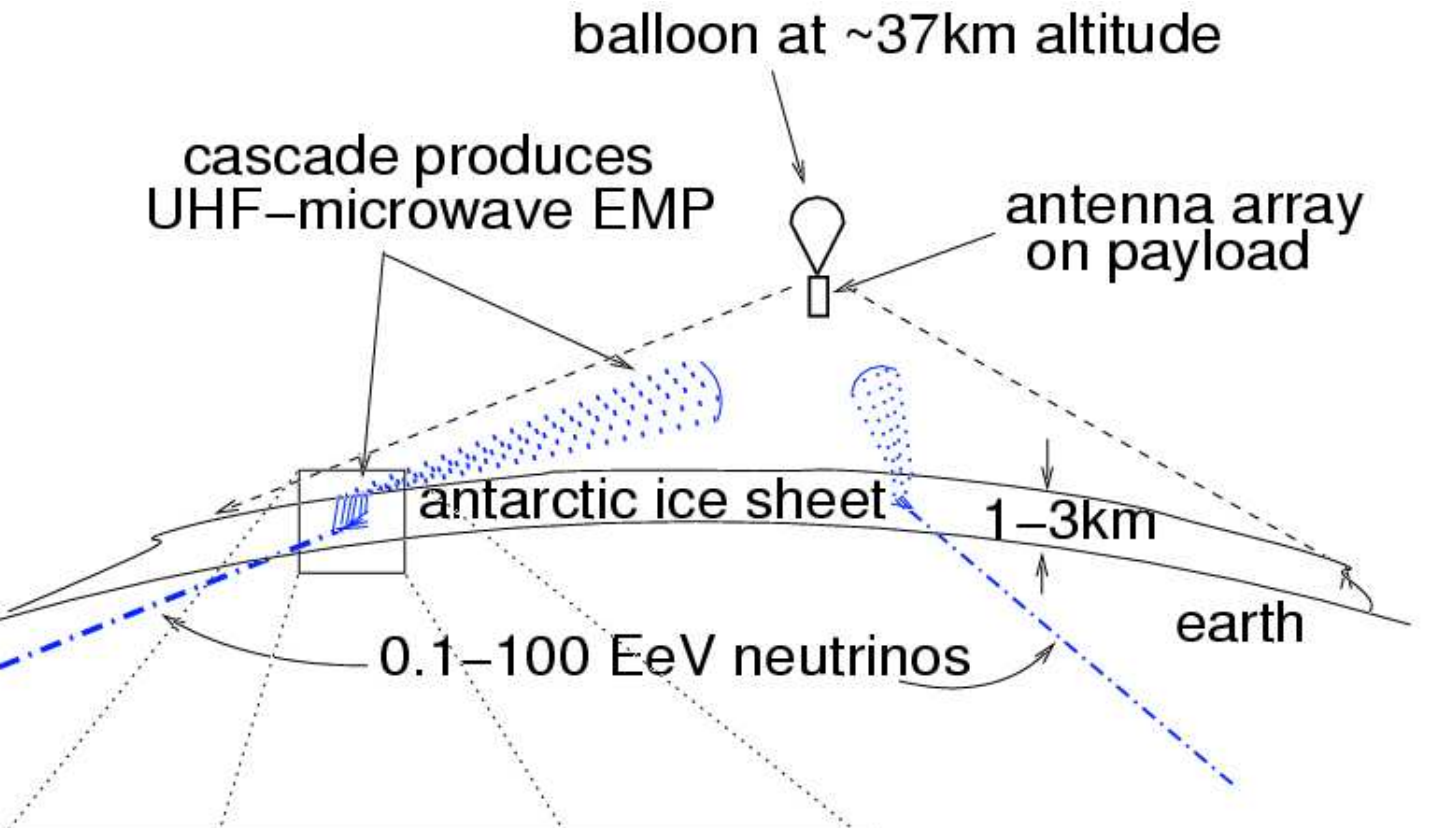
...

## Experiments

- AMANDA/ICECUBE : Cerenkov light in ice (South Pole)
- ANTARES, NESTOR: Cerenkov light in water (Mediterranean)
- RICE: radio Cerenkov in ice (South Pole)
- ANITA: radio Cerenkov from ice (balloon at South Pole)
- PIERRE AUGER: air showers (Argentina,...)
- EUSO: air showers (space)
- ...

## Detectors





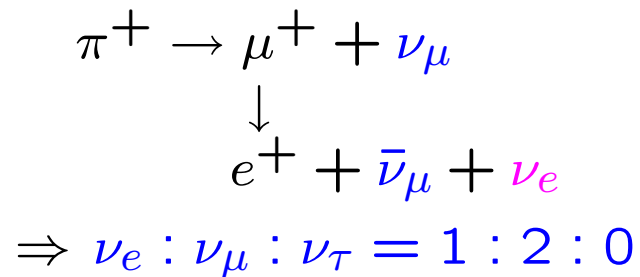
~700km to horizon

observed area:  
~1.5 M square km



## Sources

- flavor composition
  - e.g. mostly  $\pi$  decays



- energy distribution
- normalization
- correlations with photons, protons, etc.
- Source distribution: point back to source - neutrino astronomy

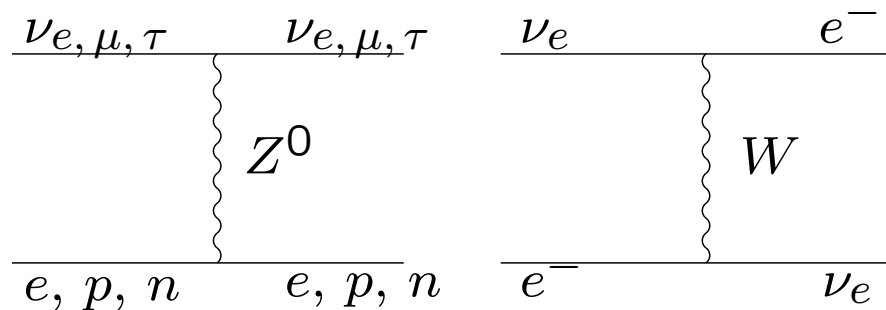
## Sources

Not always  $\nu_e : \nu_\mu : \nu_\tau = 1 : 2 : 0$

- neutron decay, etc. (e.g. GZK neutrinos)
- energy dependent flavour ratios
  - energy thresholds
  - energy losses
  - matter effects

## Matter effects in sources

### Neutrino Oscillations in Matter



- Add effective potential:  $V_N = -\frac{G_F}{\sqrt{2}}N_n$ ,  $V_C = \sqrt{2}G_F N_e$   
change signs for  $\bar{\nu}$

$$i\frac{d}{dX}\nu_W = \left(\frac{1}{2E}M_W^2 + V\right)\nu_W, \quad V = \begin{pmatrix} V_C + V_N & 0 \\ 0 & V_N \end{pmatrix}$$

$$M_W^2 \rightarrow \begin{pmatrix} -\frac{\Delta m_{ji}^2}{4E} \cos 2\theta + \frac{V_C}{2} & \frac{\Delta m_{ji}^2}{4E} \sin 2\theta \\ \frac{\Delta m_{ji}^2}{4E} \sin 2\theta & \frac{\Delta m_{ji}^2}{4E} \cos 2\theta - \frac{V_C}{2} \end{pmatrix}$$

## Constant density

- **resonance:**  $\Delta m_{ji}^2 \cos 2\theta = 2EV_R$

- Effective  $\Delta m^2$

$$\Delta m_m^2 = [(\Delta m^2 \cos 2\theta - 2EV)^2 + (\Delta m^2 \sin 2\theta)^2]^{1/2}$$

- Effective mixing

$$\sin^2 2\theta_m = \frac{\sin^2 2\theta}{\cos^2 2\theta(1 - V/V_R) + \sin^2 2\theta}$$

- Transition probability

$$P(\nu_e \rightarrow \nu_x) = \sin^2 2\theta_m \sin^2 \frac{\Delta m_m^2 L}{4E}$$

Most sources: density too low, not enough column density  
→ matter effects negligible

Some sources: can reach resonance ⇒ significant matter effects

e.g: neutrinos produced in jets of supernovae

S. Razzaque, P. Meszaros, E. Waxman, Mod.Phys.Lett.A20:2351,2005

$$n_e = 2 \times 10^{22} \left( \frac{6 \times 10^{10}}{r} \right) \text{cm}^{-3}$$

$$\frac{dN}{dE} \sim \frac{1}{E^3}, \quad 10\text{GeV} < E < 300\text{GeV}$$

$$\frac{dN}{dE} \sim \frac{1}{E^4}, \quad 300\text{GeV} < E < 300\text{TeV}$$

- $\pi$  decay 1 : 2 : 0 modified at the source
- + long distance vacuum oscillations + Earth matter effects
- non-standard energy dependent flavour compositions

O. Mena, I. M., S. Razzaque

## Propagation Through Space

### Neutrino Oscillations over long distances

-  $\nu_\mu$  and  $\nu_\tau$  maximally mixed:

$$F_{\nu_e}^0 : F_{\nu_\mu}^0 : F_{\nu_\tau}^0 = 1 : 2 : 0 \Rightarrow \nu_e : \nu_\mu : \nu_\tau = 1 : 1 : 1$$

- sometimes  $F_{\nu_e}^0 : F_{\nu_\mu}^0 : F_{\nu_\tau}^0 \neq 1 : 2 : 0 \Rightarrow$  Three flavour mixing relevant

$$F_{\nu_e} = F_{\nu_e}^0 - \frac{1}{4} \sin^2 2\theta_{12} (2F_{\nu_e}^0 - F_{\nu_\mu}^0 - F_{\nu_\tau}^0)$$
$$F_{\nu_\mu} = F_{\nu_\tau} = \frac{1}{2} (F_{\nu_\mu}^0 + F_{\nu_\tau}^0) + \frac{1}{8} \sin^2 2\theta_{12} (2F_{\nu_e}^0 - F_{\nu_\mu}^0 - F_{\nu_\tau}^0)$$

J. Jones, I.M, M. H. Reno, I. Sarcevic, Phys.Rev.D69:033004,2004

- much smaller effects from deviation from maximal atmospheric mixing,  $\theta_{13}$ , CP violation

# Propagation Through Space

## Non-Standard Neutrino Properties

- neutrino decay
  - see flavour composition of lowest mass state
  - energy dependence
  
- additional interactions
  - decoherence: quantum gravity

all change flavour composition

# Propagation Through Air/Ice/Rock

- interaction cross-sections

- in the Standard Model

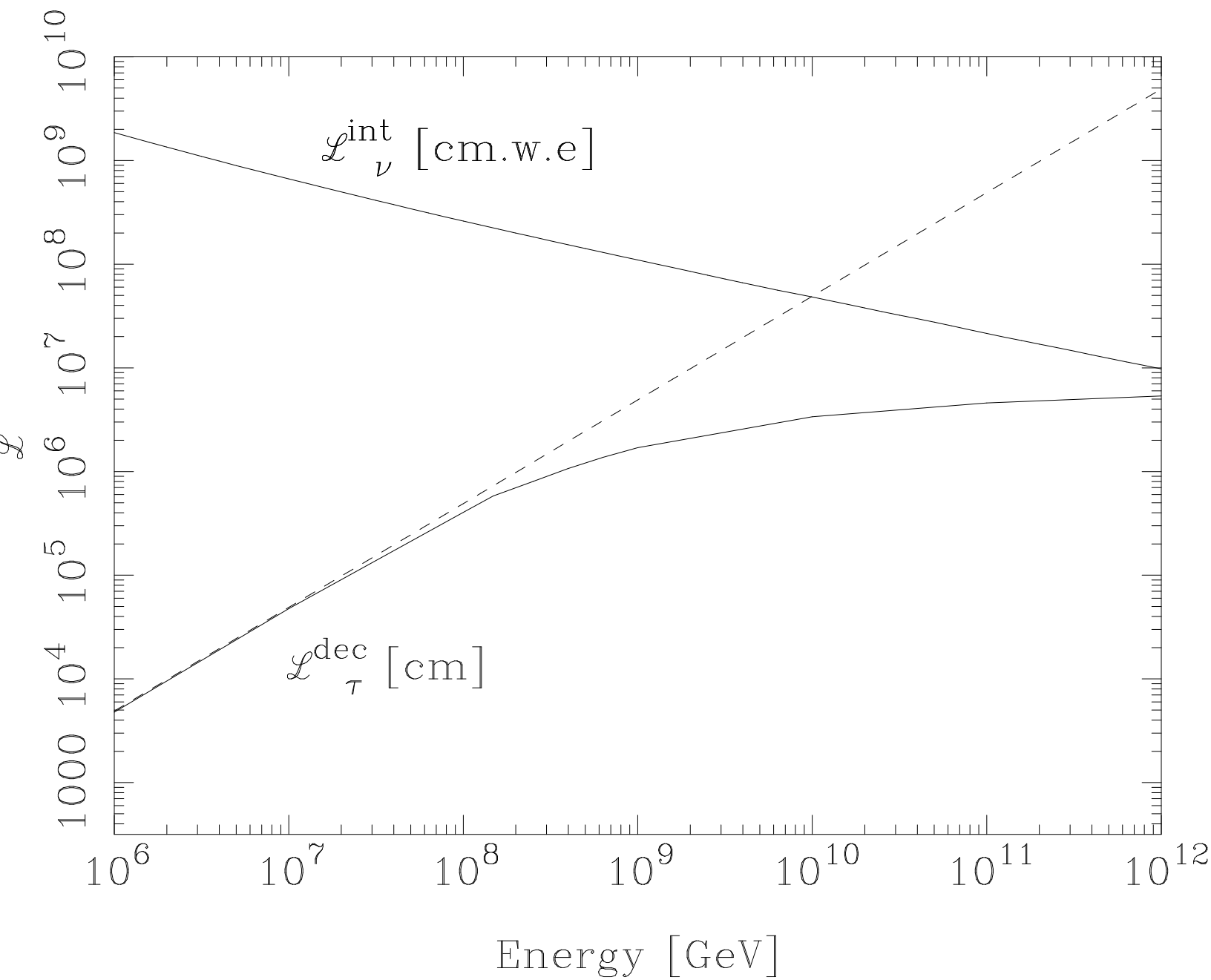
- Parton Distribution Functions extrapolations at high energies

- beyond the Standard Model

- energy losses

- flavour composition

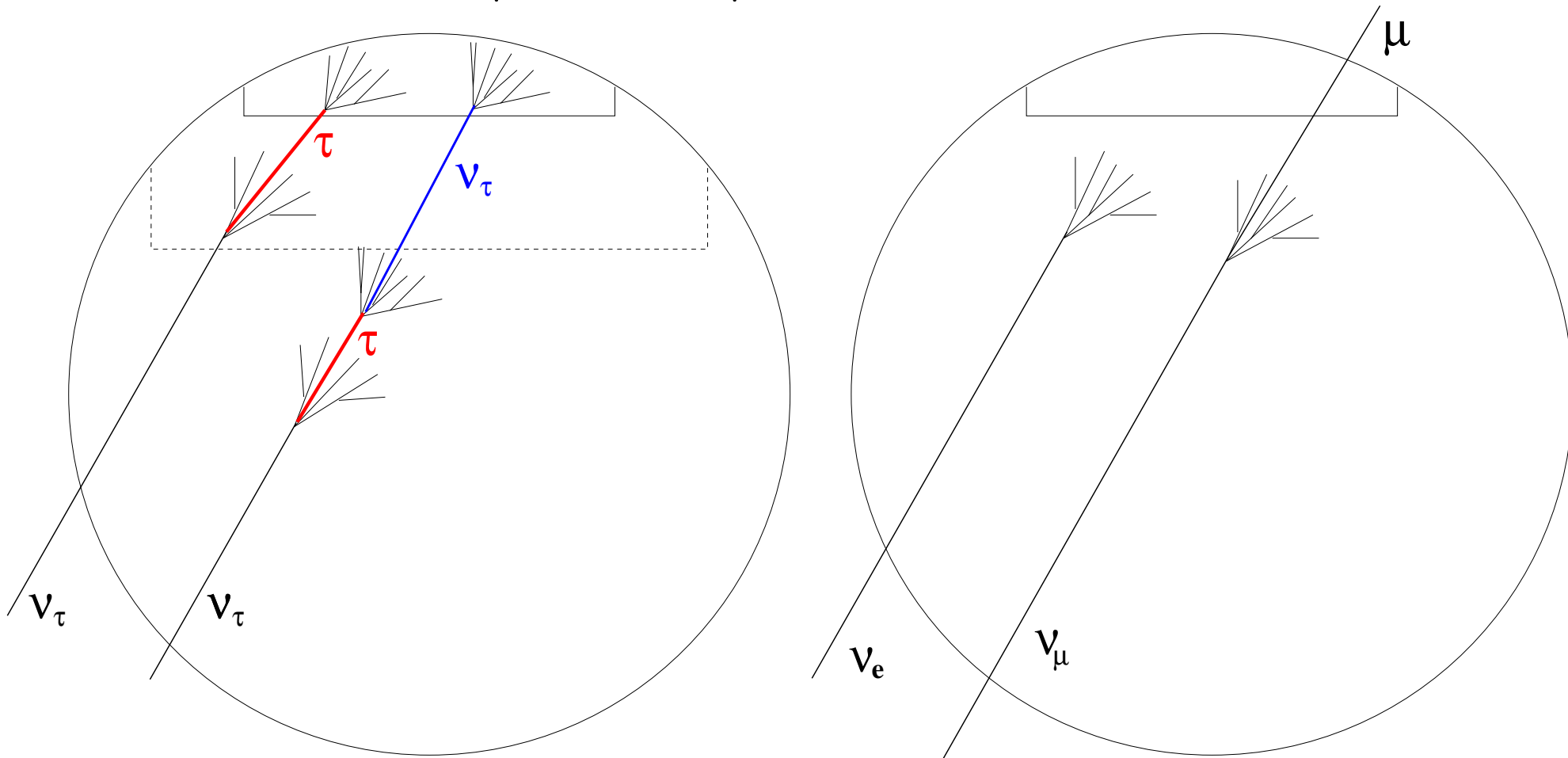
- other new physics



## Propagation Through Air/Ice/Rock

Above  $\sim 40$  TeV Earth opaque to neutrinos

- Downward/horizontal
- Use  $\nu_\tau$ :
  - gain volume
  - lose energy
  - flavour composition important



## Propagation Through Air/Ice/Rock

- $\nu$  attenuation due to charged (CC) and neutral current (NC) interactions
- NC return of  $\nu$
- regeneration of  $\nu$  from  $\tau$  decay and CC interactions

$$\begin{aligned} \frac{\partial F_{\nu\tau}(E, X)}{\partial X} &= -N_A \sigma^t(E) F_{\nu\tau}(E, X) + N_A \int_E^\infty dE_y F_{\nu\tau}(E_y, X) \frac{d\sigma^{NC}}{dE}(E_y, E) \\ &+ \int_E^\infty dE_y \frac{F_\tau(E, X)}{\lambda_\tau^{dec}} \frac{dn}{dE}(E_y, E) + \tau CC \end{aligned}$$

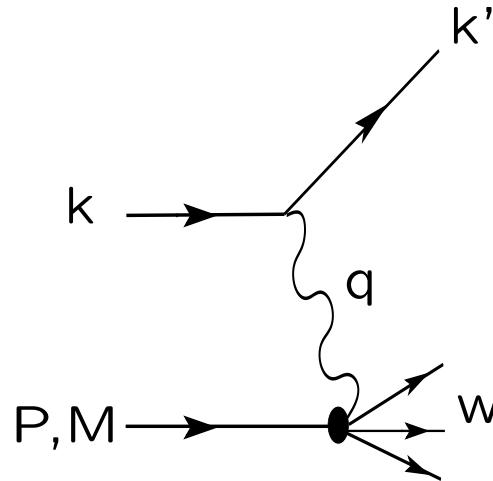
- $\tau$  decay,  $\tau$  CC interactions
- CC production of  $\tau$

$$\frac{\partial F_\tau(E, X)}{\partial X} = -\frac{F_\tau(E, X)}{\lambda_\tau^{dec}(E, X, \theta)} + N_A \int_E^\infty dE_y F_{\nu\tau}(E_y, X) \frac{d\sigma^{CC}}{dE}(E_y, E) - \tau CC$$

- $\tau$  energy loss

$$-\frac{dE_\tau}{dX} = \alpha_\tau + \beta_\tau E_\tau$$

## Deep Inelastic Scattering

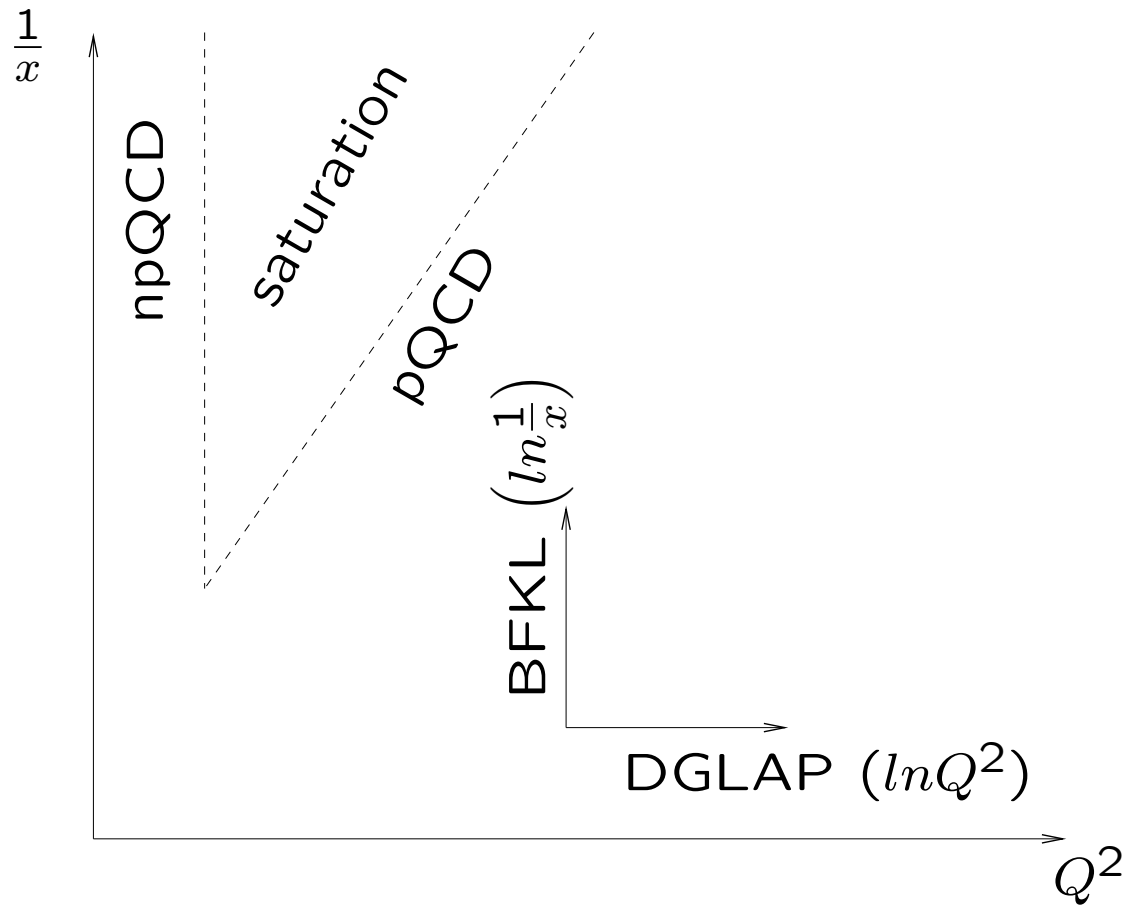


$$Q^2 = -q^2, \quad x = \frac{Q^2}{2P \cdot q} = \frac{Q^2}{2M(E-E')}, \quad y = \frac{P \cdot q}{P \cdot k} = \frac{E-E'}{E} = \frac{Q^2}{xs}$$

$$\sigma_{\nu, \bar{\nu}}(E) = \int_{Q_{min}^2}^s dQ^2 \int_{Q^2/s}^1 dx \frac{1}{xs} \frac{\partial^2 \sigma_{\nu, \bar{\nu}}}{\partial x \partial y}$$

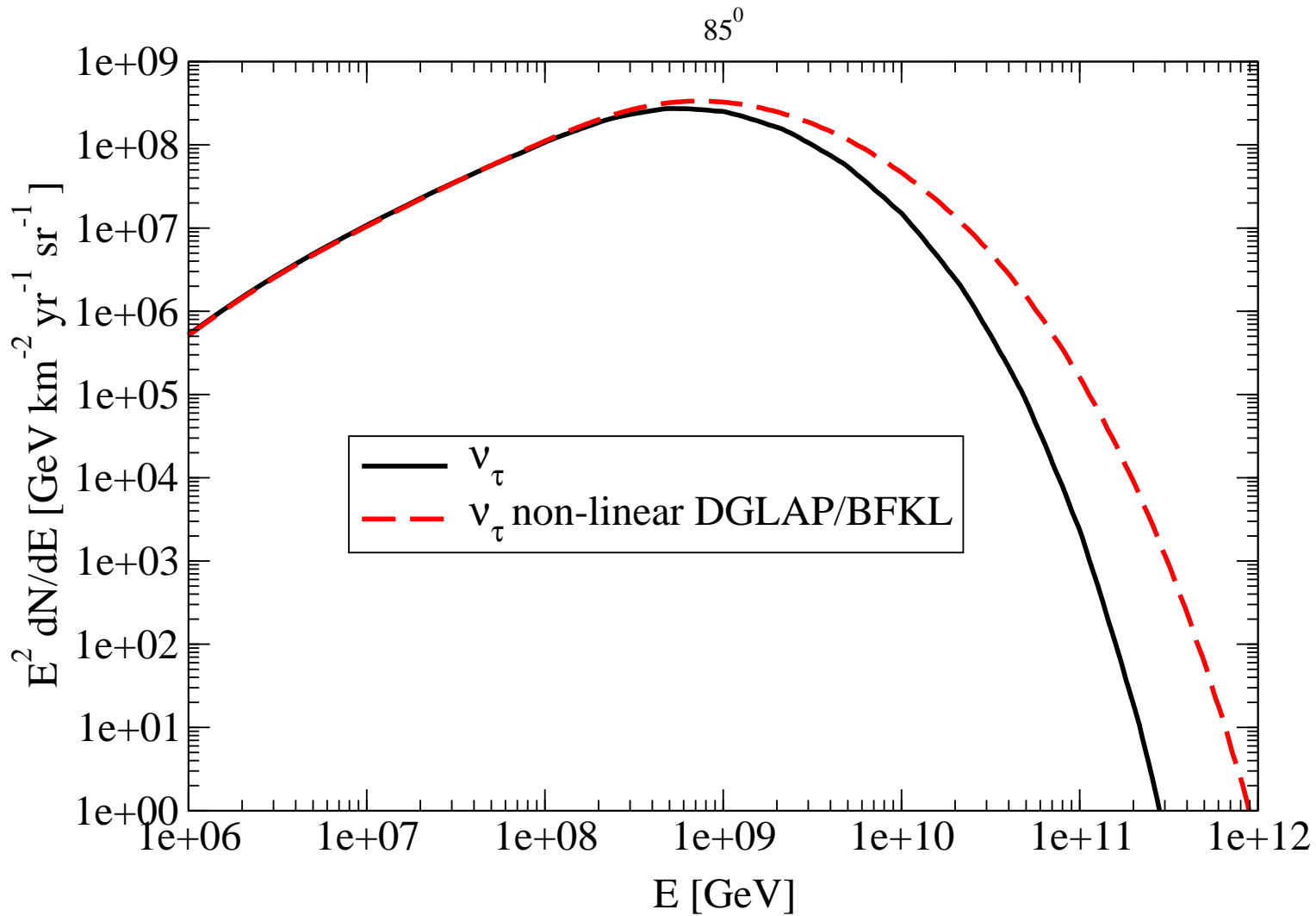
$$\frac{\partial^2 \sigma_{\nu, \bar{\nu}}}{\partial x \partial y} = \frac{G_F^2 M E}{2\pi} \left( \frac{M_i^2}{Q^2 + M_i^2} \right)^2 \times$$

$$\left[ (1 + (1 - y)^2) F_2(x, Q^2) - y^2 F_L(x, Q^2) \pm y(2 - y) x F_3(x, Q^2) \right]$$



$\nu N$  DIS: large  $Q^2$  ( $\sim M_W^2$ )

small  $x$  ( $\sim 10^{-4} - 10^{-8}$ )



GZK neutrinos

I.M., M.H. Reno, I. Sarcevic, A. Stasto

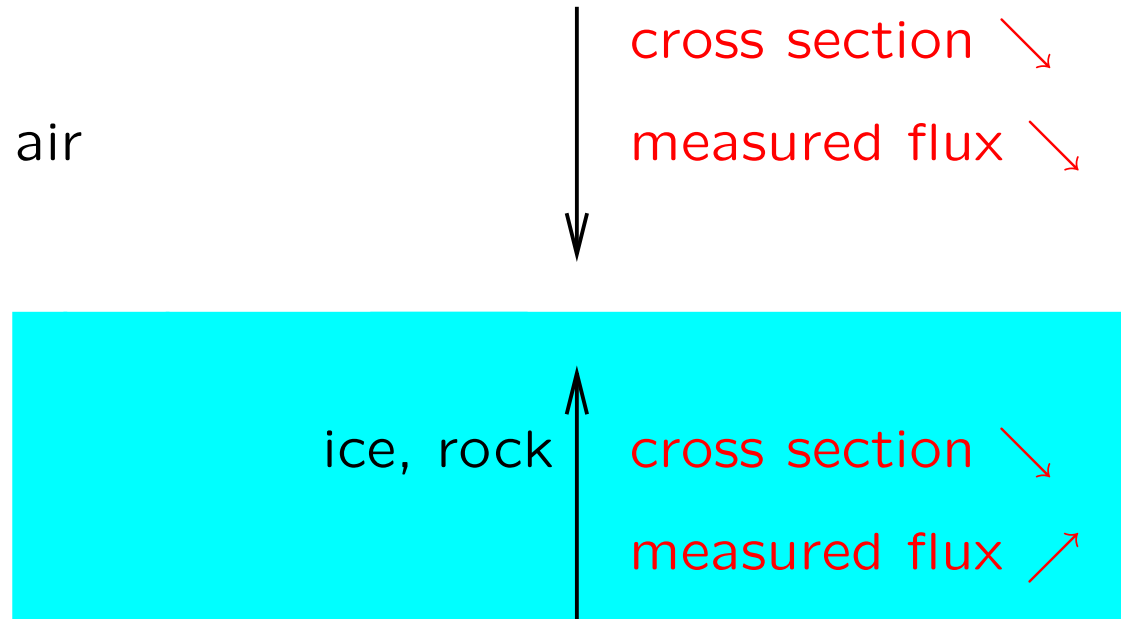
## Propagation Through Air/Ice/Rock

- energy losses large, especially at high energies  
maximum  $\tau$  reach  $\sim 50$  km  
uncertainties also large at high energy
- neutral current effects large at energies above  $10^8 - 10^9$  GeV
- cross-section uncertainties  $\sim 20 - 30\%$  below  $10^8$  GeV
- cross-section/fluxes could be very different above  $10^8 - 10^9$  GeV  
within SM
- at “low” energy: neutrino oscillations - small, but non-zero

## Beyond the Standard Model

- new interactions:  $\sigma = \sigma_{SM} + \sigma_{new}$ 
  - low scale gravity, etc.
  - increase absorption for upward events
- Lorentz invariance and CPT violation
  - atmospheric neutrino oscillations
  - $L$  or  $LE$  instead of  $L/E$  - dominate oscillations at high energies
- new particles
  - e.g. SUSY:
    - neutralinos
    - sleptons: gauge mediation SUSY breaking , super-WIMPs
    - R-parity violating models
  - ...

## Measuring cross-sections



- asymmetries very sensitive to cross-sections
- **angular** distribution

## Specific Signatures

- flavour composition:
  - electromagnetic showers vs. hadronic showers vs. tracks
  - $\nu_\tau$  double bang + lollipop: unique signatures
- competing effects:
  - high rates in detectors: large interaction rate
  - less absorption: small interaction rates

## Very High Energy Neutrinos

- seeing very high energy neutrinos: **ESSENTIAL**
- counting very high energy neutrinos: first step
- need more! → more work!
  - angular distributions
  - energy distributions
  - flavour composition
  - better detector techniques
  - more smart tricks, unique signatures, etc.
  - very good simulations
  - correlations with other observables: photons, protons, etc.
- find right observable and combination of observables
- can distinguish particle physics from astrophysics effects
- learn about both!

# The unexpected

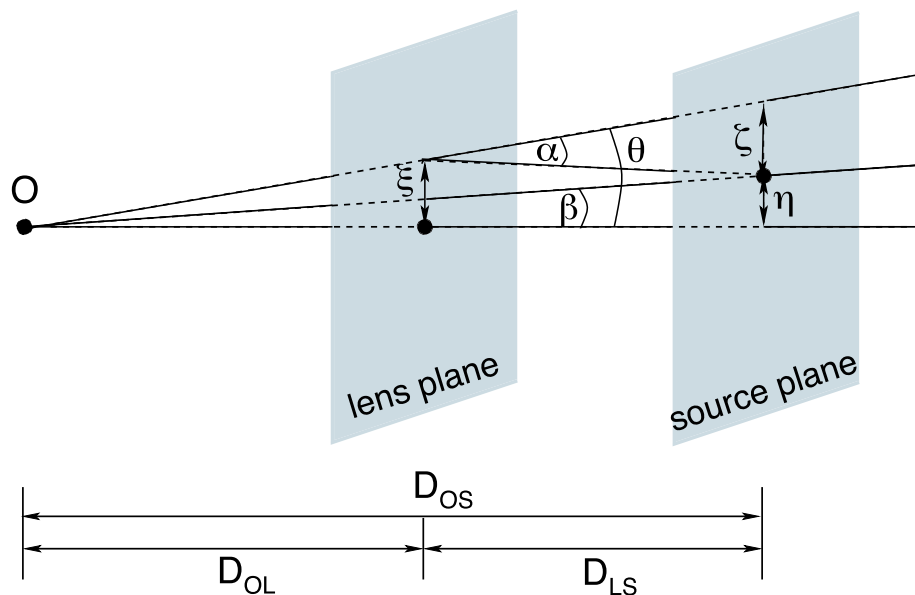
## Neutrino Gravitational Lensing

Photons  $\rightarrow$  neutrinos:

Strong lensing: impossible to achieve required angular resolution

Weak lensing: need huge number of sources

Microlensing: **apparent magnification**



$$\mu = \frac{d\Omega}{d\Omega_0} = \frac{\beta^2 + 2\theta_E^2}{\beta\sqrt{\beta^2 + 4\theta_E^2}}$$

$$\theta_E = \sqrt{\frac{2\mathcal{R}D_{LS}}{D_{OS}D_{OL}}} = \sqrt{\frac{2\mathcal{R}}{D_{OL}} \frac{x}{1+x}}$$

## Supernovae: ideal sources

- large numbers of neutrinos
- total luminosity known within factor of 3 or better
- for SN perfectly aligned with galactic center black hole and Earth:

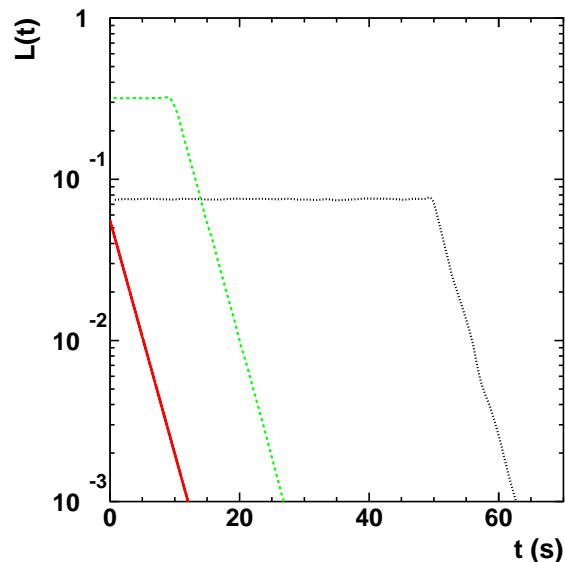
$$\mu \sim 2 \times 10^{11}!$$

Probability for perfect alignment: very small

Not so perfect alignment: higher probability

Magnifications of  $\sim 100$  very interesting

## Time spread



O. Mena, I.M., C. Quigg