



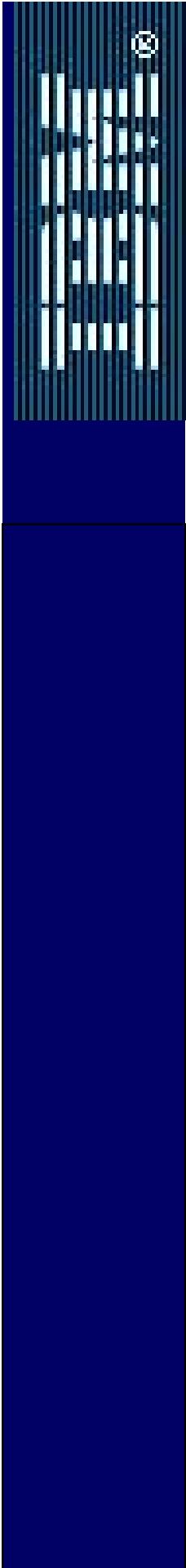
ARDA



# Prospects for Quantum Computation

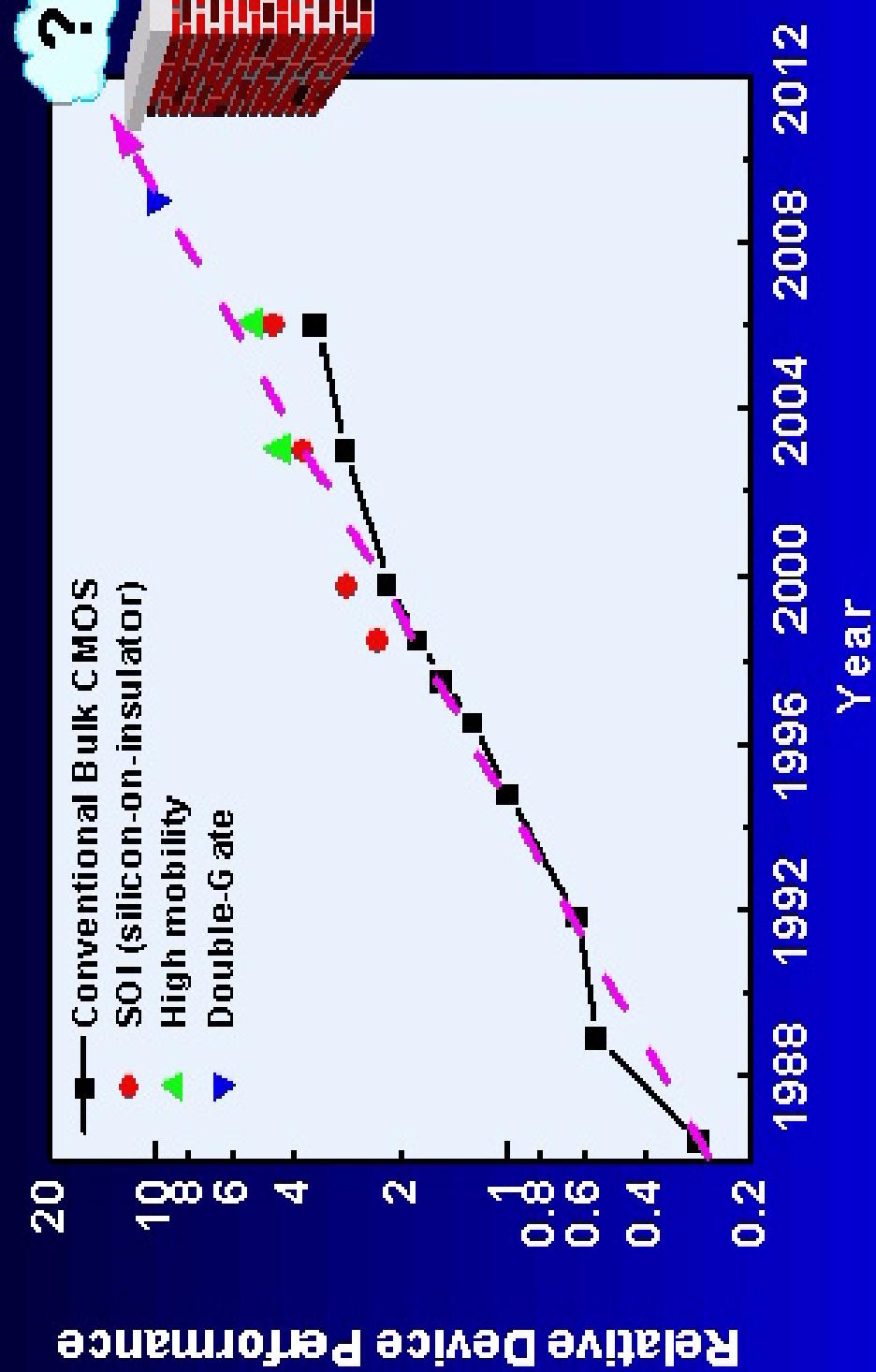
David DiVincenzo, IBM

Stony Brook, 5/2003



# CMOS Device Performance

New device structures are needed to maintain performance...



# Back to basics...

Fundamental carrier of information: the **bit**

Possible bit states:

“0”,      or      “1”

Fundamental carrier of quantum information: the **qubit**

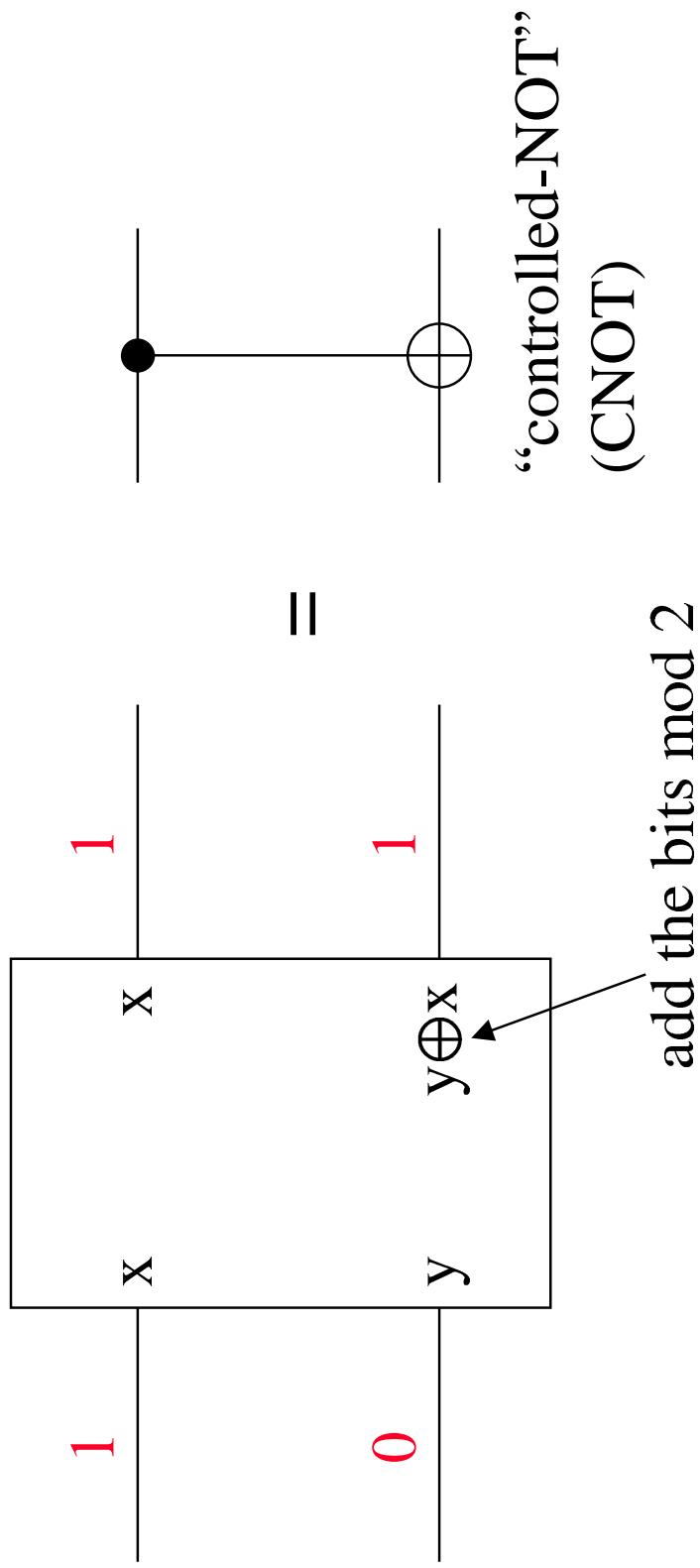
Possible qubit states: any **superposition** described  
by the **wavefunction**

$$\psi = a |0\rangle + b |1\rangle$$

# Rules for quantum computing

D. Deutsch, Proc. R. Soc. A 400, 97 (1985)

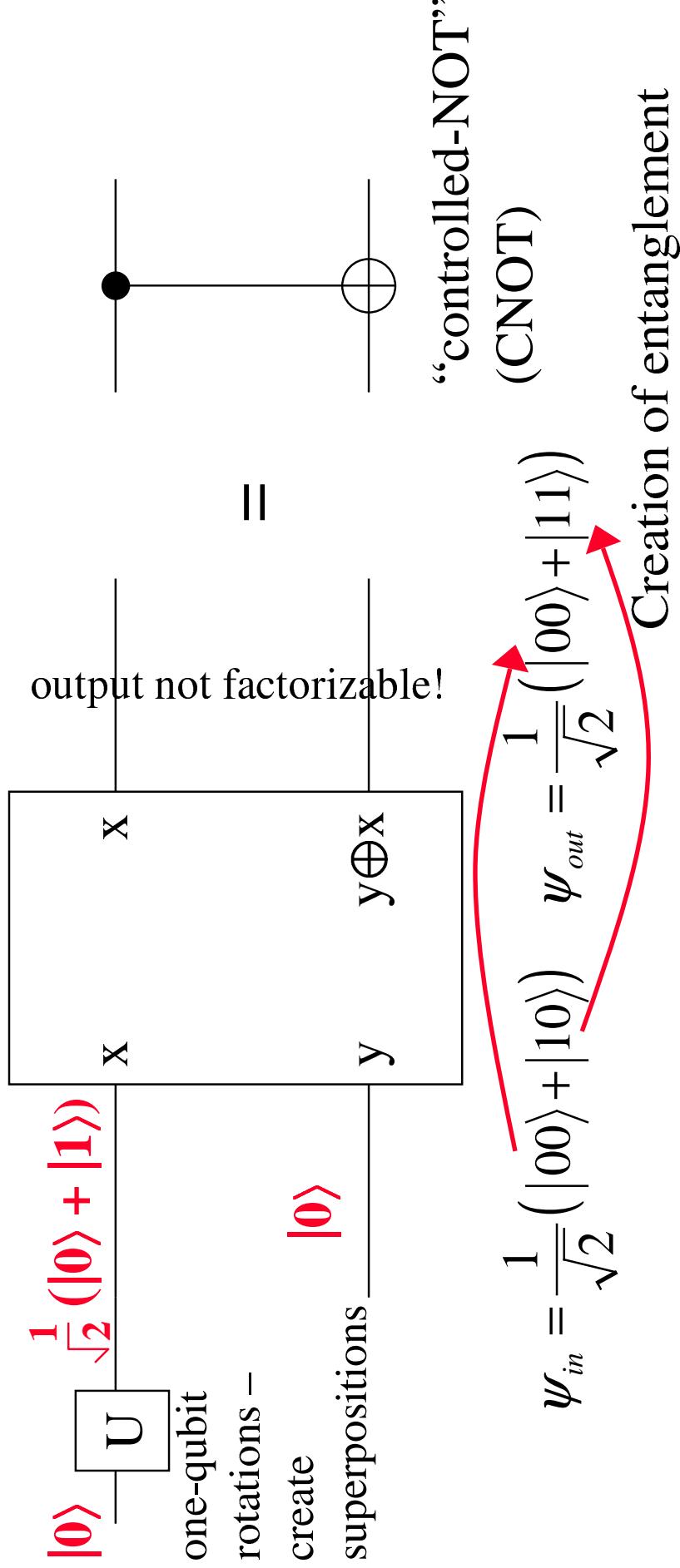
Consider this form of two-bit boolean logic gate:



# Rules for quantum computing

D. Deutsch, Proc. R. Soc. A 400, 97 (1985)

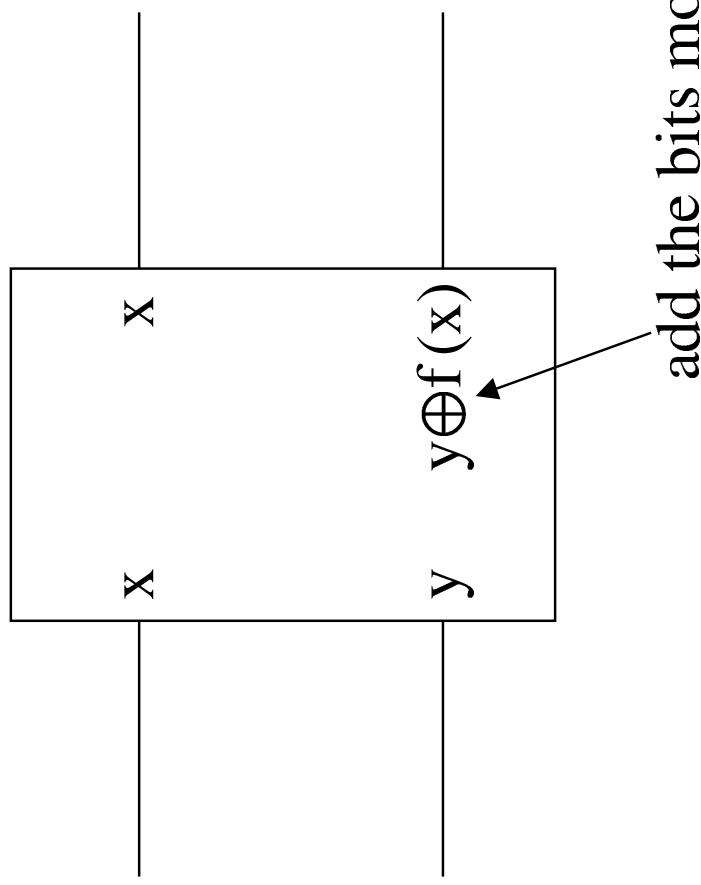
Quantum rules of operation :



# Exploiting superposition: the Deutsch algorithm

D. Deutsch, Proc. R. Soc. A 400, 97 (1985)

Consider this form of two-bit gate:



# Fast Quantum Computation

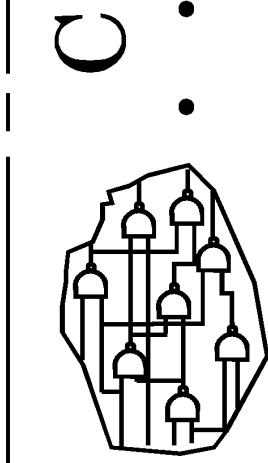
P. Shor, AT&T, 1994

Classical factoring problem required 8 months on hundreds of computers

Factors

RSA 129

1143816257578888676  
6923577997614661201  
0218296721242362562  
5618429357069352457  
3389783059712356395  
8705058989075147599  
290026879543541

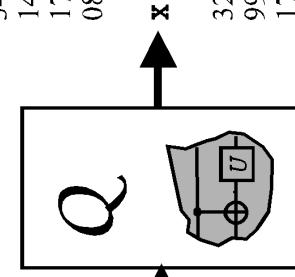


3490529510847650949  
1478496199038981334  
1776463849338784399  
0820577

3276913299326670954  
9961988190834461413  
1776429679929425397  
98288533

Same Input and Output, but Quantum processing of intermediate data gives

3490529510847650949  
1478496199038981334  
1776463849338784399  
0820577



1143816257578888676  
6923577997614661201  
0218296721242362562  
5618429357069352457  
3389783059712356395  
8705058989075147599  
290026879543541

3276913299326670954  
9961988190834461413  
1776429679929425397  
98288533

Exponential speedup  
for Factoring

Quadratic speedup  
for Search

# Why we want quantum computing:

Prime factorization  
(Shor, 1994)

$$p_1 p_2 = N \quad \exp(n^{1/3}) \rightarrow \text{poly}(n)$$

Pell's equation  
(Hallgren, 2002)

$$x^2 - dy^2 = N \quad \exp(n^{1/2}) \rightarrow \text{poly}(n)$$

- § Grover search – appointment scheduling
  - § period finding – group theory computations
  - § Gauss sums
  - § shifted Legendre symbol problem
  - § quantum simulation
  - § Raz algorithm – distributed simulation
  - § sampling complexity: disjoint subsets
  - § finite-round interactive proofs
  - § pseudo-telepathy (Bell inequalities, game playing)
  - § quantum cryptography
  - § quantum data hiding & secret sharing
  - § quantum digital signature
- and**
- also:**

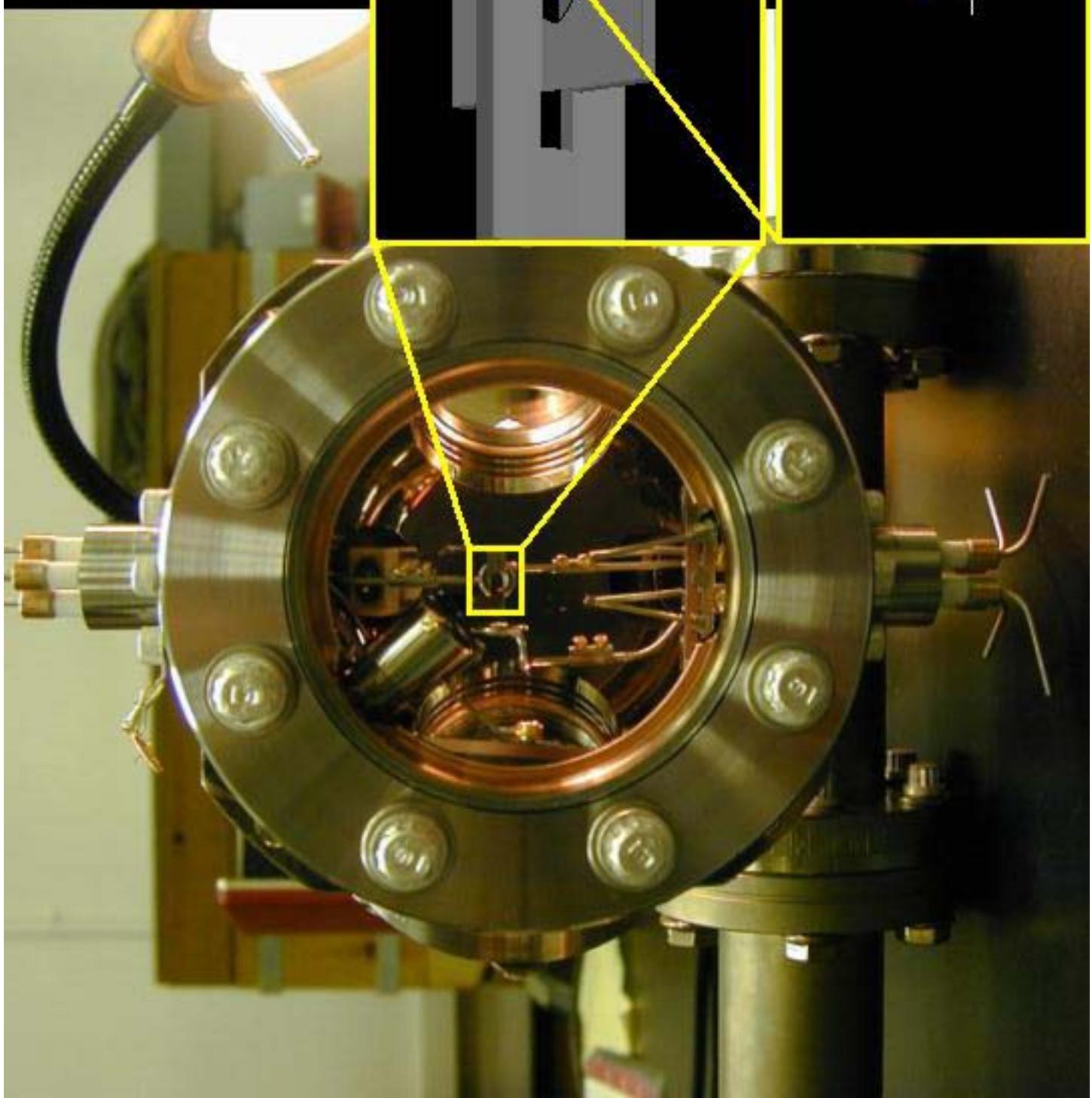
(BUT, some computations are not sped up at all!)

See DiVincenzo & Loss, cond-mat/9901137

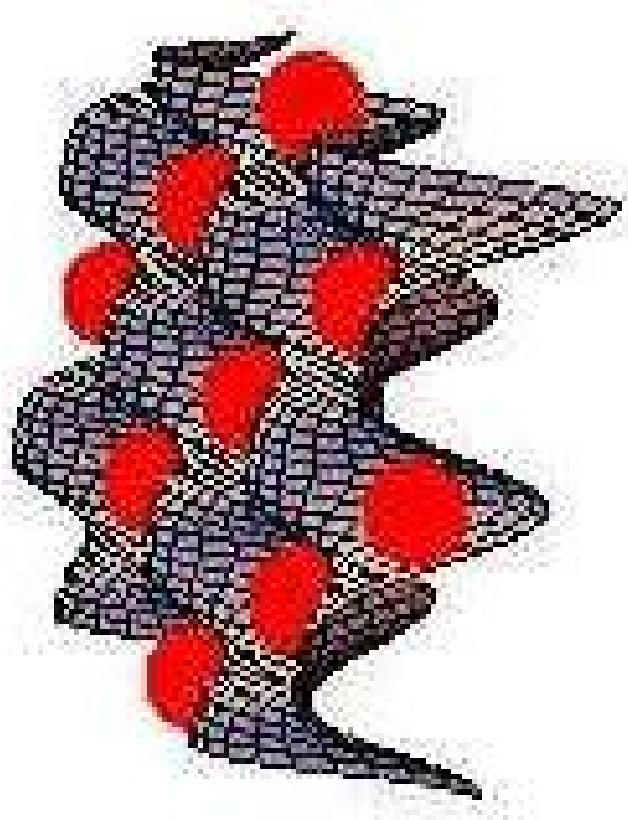
# Physical systems actively considered for quantum computer implementation

- Liquid-state NMR
- NMR spin lattices
- Linear ion-trap spectroscopy
- Neutral-atom optical lattices
- Cavity QED + atoms
- Linear optics with single photons
- Nitrogen vacancies in diamond
- Electrons on liquid He
- Small Josephson junctions
  - “charge” qubits
  - “flux” qubits
- Spin spectroscopies, impurities in semiconductors
  - Coupled quantum dots
  - Qubits:
    - spin, charge, excitons
    - Exchange coupled, cavity coupled

Michigan  
Ion Trap



# Proposed optical lattice quantum computer

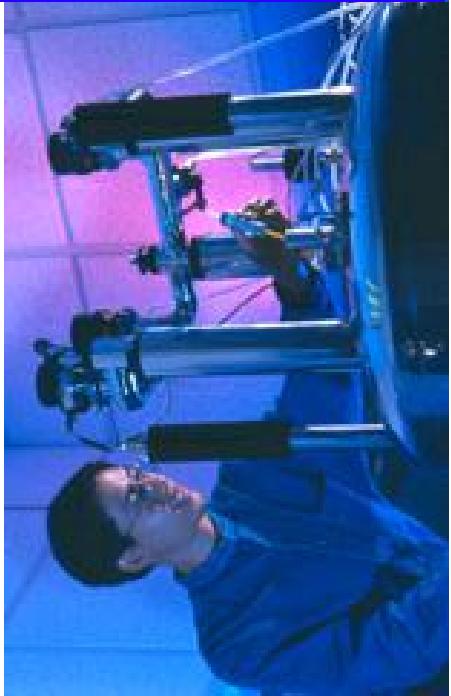
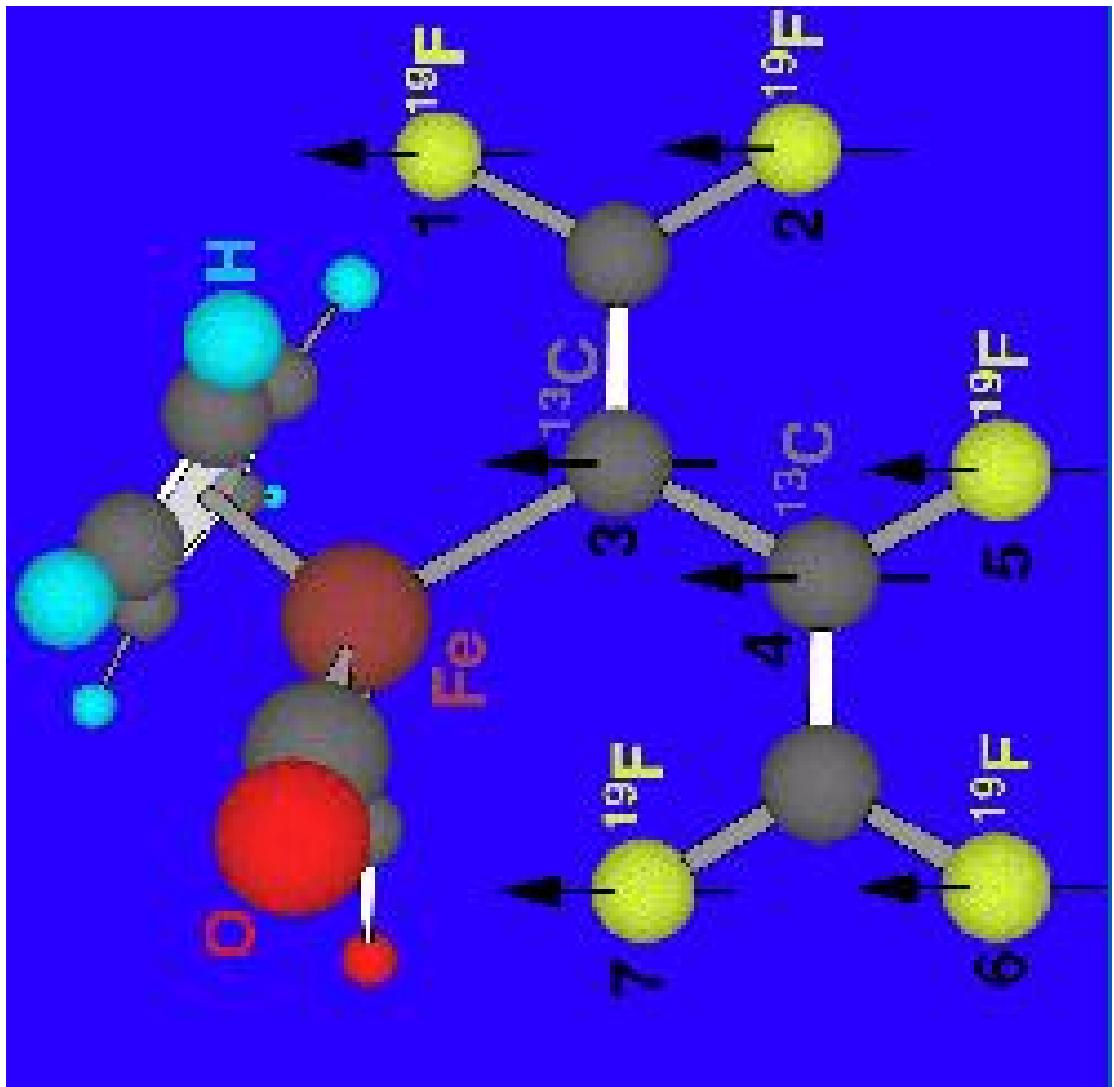


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Iwan Deutsch/University of New Mexico

- Laser egg carton. Interfering laser beams can hold atoms in a precise array. In this arrangement, the atoms could form the basis for a quantum computer.

# NMR quantum computer – 7 qubit operation



# Five criteria for physical implementation of a quantum computer



1. Well defined extendible qubit array -stable memory
2. Preparable in the “000...” state
3. Long decoherence time ( $> 10^4$  operation time)
4. Universal set of gate operations
5. Single-quantum measurements

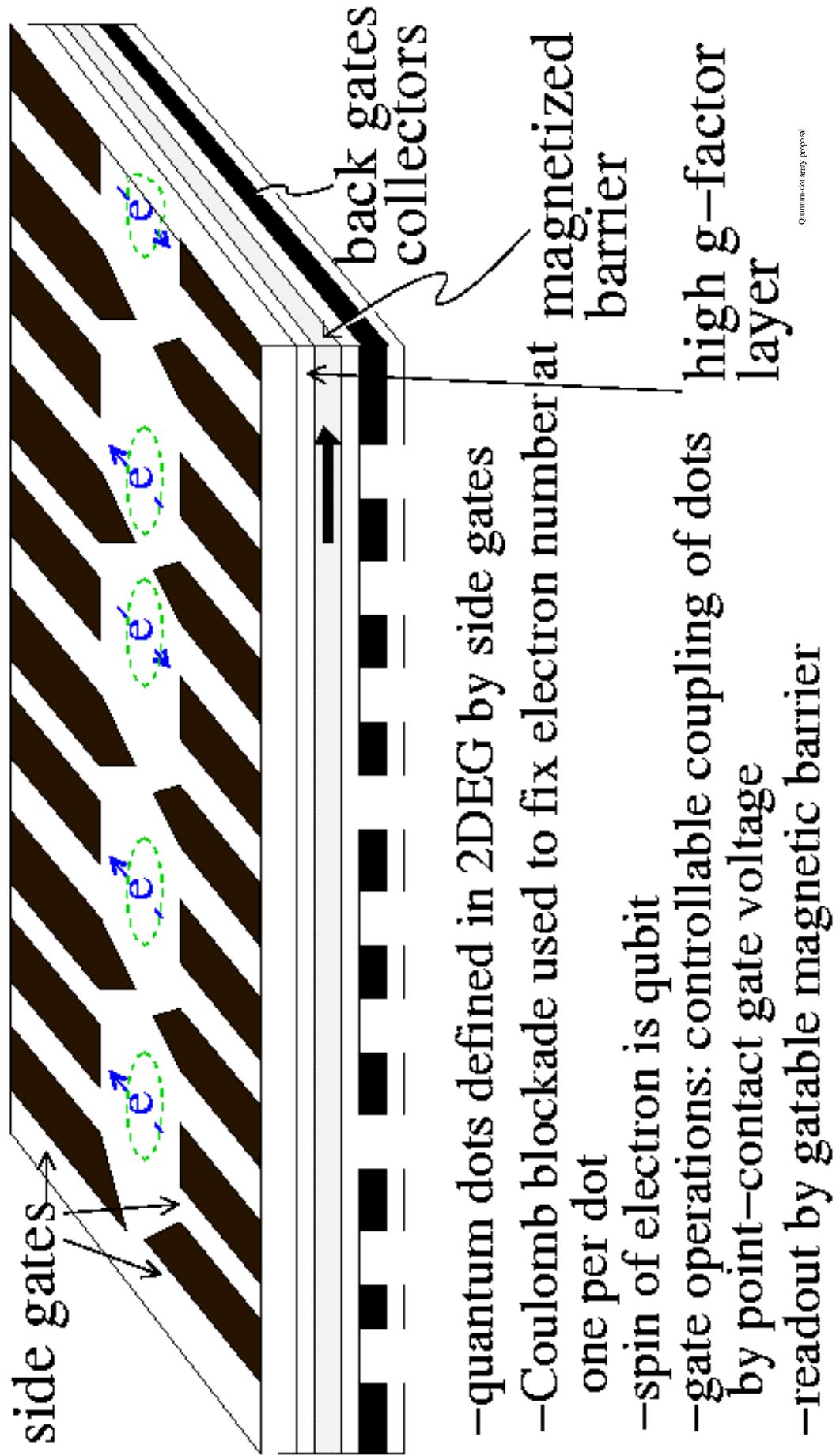
D. P. DiVincenzo, in Mesoscopic Electron Transport, eds. Sohn, Kowenhoven, Schoen (Kluwer 1997), p. 657, cond-mat/9612126; “The Physical Implementation of Quantum Computation,” Fort. der Physik 48, 771 (2000), quant-ph/0002077.

# Five criteria for physical implementation of a quantum computer & quantum communications

1. Well defined extendible qubit array -stable memory
2. Preparable in the “000...” state
3. Long decoherence time ( $> 10^4$  operation time)
4. Universal set of gate operations
5. Single-quantum measurements
6. Interconvert stationary and flying qubits
7. Transmit flying qubits from place to place

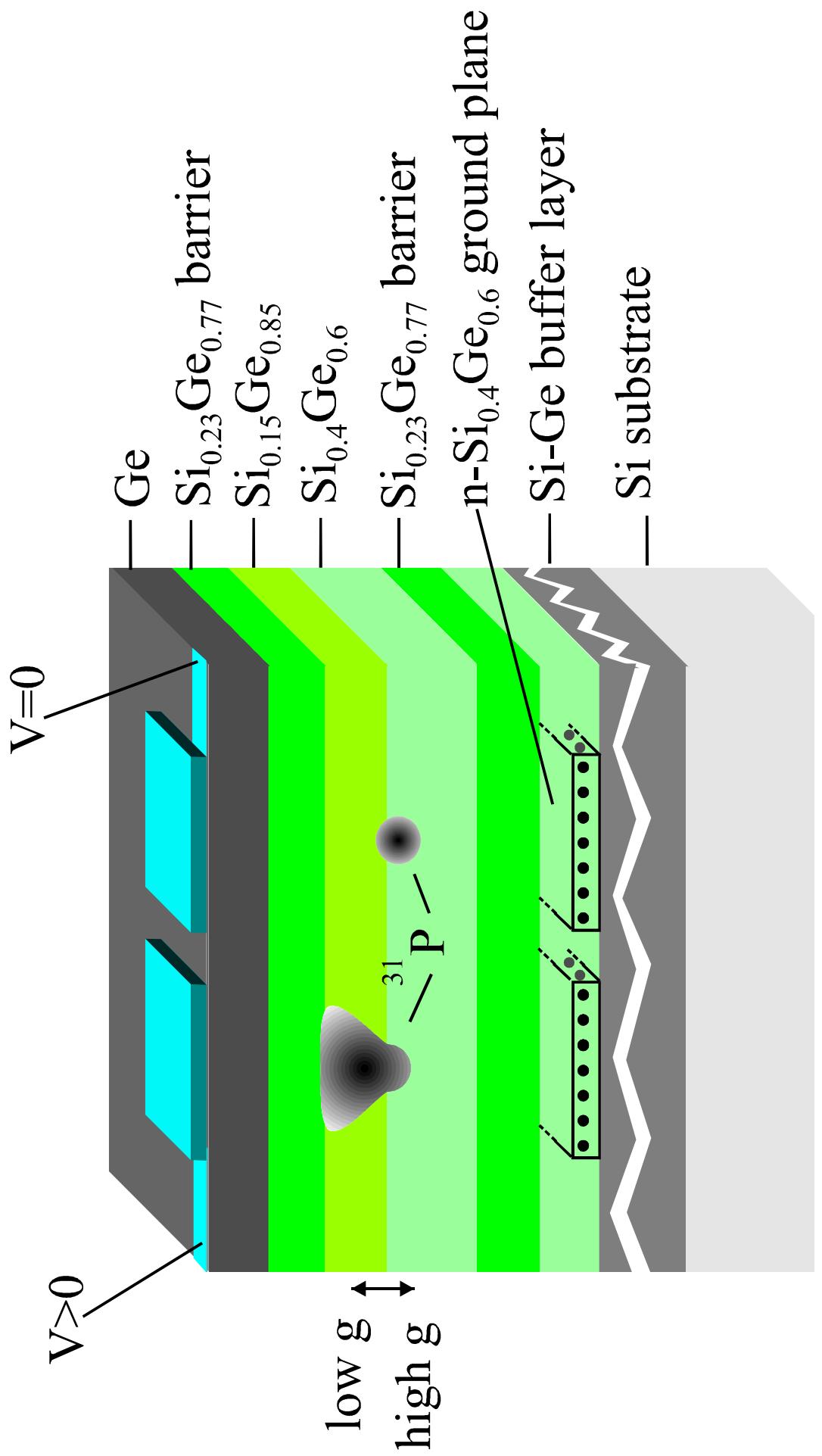
# Quantum-dot array proposal:

Loss & DiVincenzo, Phys. Rev. A 57, 120 (1998).



Kane (1998) à

Concept device: spin-resonance transistor  
R. Vrijen et al, Phys. Rev. A 62, 012306 (2000)



# Recent progress – Josephson junction qubit

## Manipulating the quantum state of an electrical circuit

Science 296, 886 (2002)

D. Vion, A. Aassime, A. Cottet, P. Joyez, H. Pothier,  
C. Urbina, D. Esteve and M.H. Devoret

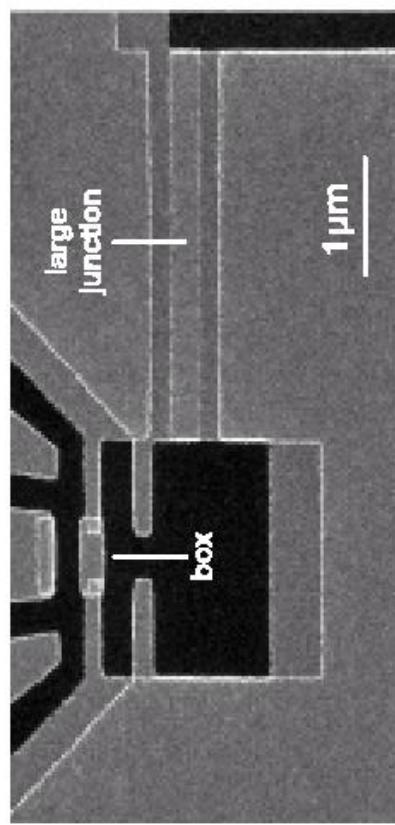
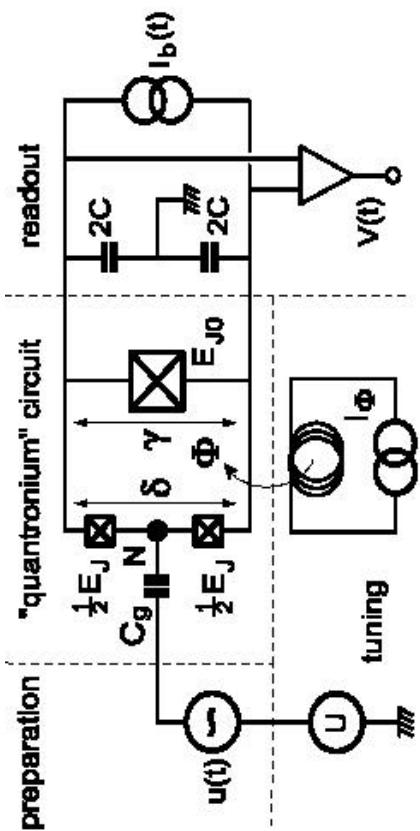
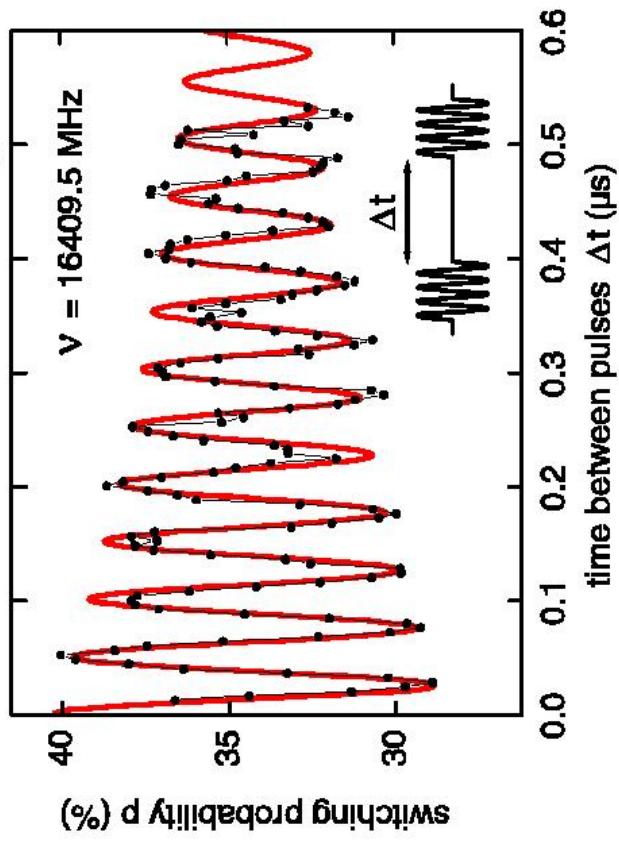


Figure 5: Ramsey fringes of the switching probability  $p$  ( $5 \times 10^4$  events) after two phase coherent microwave pulses separated by  $\Delta t$ . Dots: data at 15mK; The total acquisition time was 5 mn. Continuous line: fit by exponentially damped sinusoid with time constant  $T_\varphi = 500 \pm 50$  ns. The

## PROSPECTS??

- 1-2 qubits – several successes now & in coming years
- 10+ qubits in 10 years – crucial for field
- still many promising/possible approaches – AMO as well as solid state
- collective vs. elemental qubits – still up in the air
- artificial vs. natural collective effects – either is possible